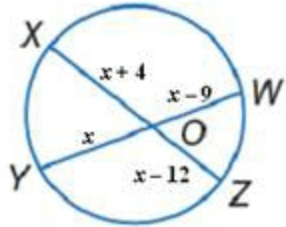


10-7 Special Segments in a Circle

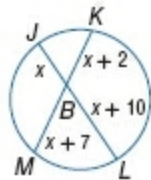
Find x to the nearest tenth. Assume that segments that appear to be tangent are tangent.



8.

ANSWER:

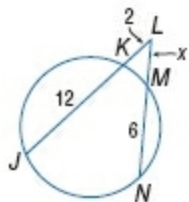
48



9.

ANSWER:

14

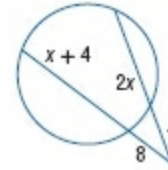


11.

ANSWER:

3.1

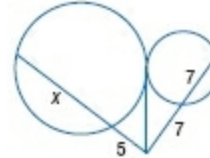
CCSS STRUCTURE Find each variable to the nearest tenth. Assume that segments that appear to be tangent are tangent.



17.

ANSWER:

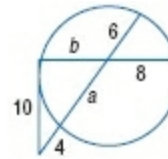
7.1



18.

ANSWER:

14.6

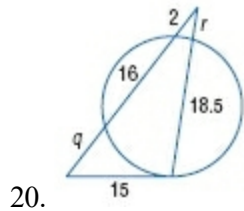


19.

ANSWER:

$a = 15; b \approx 11.3$

10-7 Special Segments in a Circle



ANSWER:

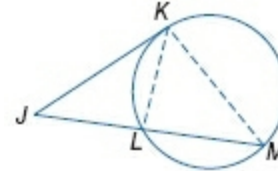
$$q = 9; r \approx 1.8$$

PROOF Prove each theorem.

25. two-column proof of Theorem 10.17

Given: tangent \overline{JK} , secant \overline{JM}

Prove: $JK^2 = JL \cdot JM$



ANSWER:

Proof:

Statements (Reasons)

1. tangent \overline{JK} and secant \overline{JM} (Given)
2. $m\angle KML = \frac{1}{2}m\widehat{KL}$ (The measure of an inscribed \angle equals half the measure of its intercept arc.)
3. $m\angle JKL = \frac{1}{2}m\widehat{KL}$ (The measure of an \angle formed by a secant and a tangent = half the measure of its intercepted arc.)
4. $m\angle KML = m\angle JKL$ (Substitution)
5. $\angle KML \cong \angle JKL$ (Definition of $\cong \angle s$)
6. $\angle J \cong \angle J$ (Reflexive Property)
7. $\triangle JMK \sim \triangle JKL$ (AA Similarity)
8. $\frac{JK}{JL} = \frac{JM}{JK}$ (Definition of $\sim \Delta s$)
9. $JK^2 = JL \cdot JM$ (Cross products)